



Evaluation of the IGS-Global Ionospheric Mapping model over Egypt	1
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Abstract:

1. Introduction

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Global ionosphere maps (GIM) are generated on a daily basis at CODE using data from about 400
GPS/GLONASS sites of the IGS and other institutions. The vertical total electron content (VTEC) is
modeled in a solar-geomagnetic reference frame using a Spherical Harmonics Expansion "SHE" up
to degree and order 15. To cover the holes of the first GIM computation stage existing in the North
Africa and over the Oceans resulting a shortage of GNSS station in North Africa, an optimum
spatial-temporal interpolation technique was developed to cover these holes (Krankowski and
Hernandez-Pajares, 2016).

The current paper evaluates the ionospheric correction by Global Ionospheric Maps, GIM, provided 14 in (IONEX) files produced by International GNSS Services "IGS". The evaluation is performed 15 based on investigating the effect of a given GIM ionospheric correction on kinematic relative 16 positioning solutions. The evaluation was done using several baselines of different lengths in Egypt. 17 The results show that there is no significant effect of the provided GIM values on the solution of 18 kinematic processing. The results confirm that although there is a lack of International GNSS Service 19 (IGS stations) over North Africa, GIMs have no effect in mitigating ionospheric error. A new value 20 for the ionosphere correction VTEC values was obtained by a regional, developed algorithm based 21 on zero-differenced phase ionospheric delay (ZDPID) (Tawfeek et.al., 2018). These new values of 22 VTEC were fed into GIMs for the specified stations data. A useful result was obtained for correcting 23 the ionospheric error over kinematic solution of many baseline lengths up to 300 km which 24 demonstrates validity of the proposed evaluation method. 25

Key words: International GNSS Services "IGS", Global ionospheric maps "GIM", vertical total26electron content (VTEC), Zero-differenced phase ionospheric delay27

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Global ionosphere maps (GIM) are generated on a daily basis at CODE using data from about 400 29 GPS/GLONASS sites of the IGS and other institutions, see figure (1). The vertical total electron 30





content (VTEC) is modeled in a solar-geomagnetic reference frame using a Spherical Harmonics 31 Expansion "SHE" up to degree and order 15. Piece-wise linear functions are used for representation 32 in the time domain. The time spacing of their vertices is 2 hours, conforming with the epochs of the 33 VTEC maps. Instrument biases, so-called differential P1-P2 code biases (DCB), for all GPS satellites 34 and ground stations are estimated as constant values for each day, simultaneously with the 3328 35 parameters used to represent the global VTEC distribution. The DCB datum is defined by a zero-36 mean condition imposed on the satellite bias estimates. P1-C1 bias corrections are taken into account 37 if needed. To convert line-of-sight TEC into vertical TEC, a modified single-layer model (MSLM) 38 mapping function approximating the JPL extended slab model mapping function is adopted. The 39 global coverage of the GPS tracking ground stations considered at CODE is shown in figure (1). 40

According to Hernández-Pajares et al. (2017), broadly used Global Ionosphere Maps (GIMs) 41 provided by the IGS are characterized by estimated accuracy ranging from a few TECU to 42 approximately 10 TECU in VTEC. This IGS product offers 2.5 by 5.0 degrees spatial resolution, and 43 temporal resolution of 2 h. IGS GIMs are developed as an official product of the IGS Ionosphere 44 Working Group by performing a weighted mean of the various Analysis Centers (AC) VTEC maps: 45 CODE, ESA, JPL, UPC, and NRCan. CODE GIM (CODG) comes from processing double-46 differenced carrier phase data and TEC parametrization using Spherical Harmonics Expansion 47 "SHE" functions and Bernese software (Schaer, 1999). ESA GIM is based on processing carrier 48 phase-smoothed pseudoranges and TEC parametrization using SHE functions (Feltens, 2003). JPL 49 GIM is derived from a three-shell model that is based on spline functions. 50







Figure (1): IGS directly manages ~400 permanent GNSS stations observing 4-12 satellites at 30 s rate: more than 250,000 STEC observations/hour worldwide, but there is lack of stations in some areas (e.g., over the oceans). 54

According to Hernández-Pajares et al. (2009), the highest accuracy is offered by the UQRG model 55 provided by UPC, and is produced by combining a tomographic modelling of the ionosphere with 56 kriging interpolation using the TOMION software developed at UPC. UQRG offers 2.5 by 5.0 57 degrees spatial resolution, and high temporal resolution of 15 min (Orùs et al., 2005). It should also 58 be noted that vertical TEC values estimated by using smoothed pseudoranges have lower accuracy 59 than values offered by methods based on the precise carrier phase observations. 60

The majority of various global and regional ionosphere models currently available are characterized 61 by low temporal and spatial resolutions. Most of them are based on carrier phase-smoothed 62 pseudorange data, which presents low accuracy and requires strong smoothing filters. As a result, the 63 obtained ionospheric delay represents relatively low accuracy of several TEC units (1 Total Electron 64 Content Unit = 1 TECU = 10^{16} el/m², and it is equivalent to 0.162 m of L1 signal delay). This is one 65 of the reasons why spherical harmonics expansion (SHE) is used for the global and regional TEC 66 parameterization (Rovira-Garcia, 2017). The smoothing effect of SHE undoubtedly results in the low 67 accuracy of the ionospheric models. Also, the ionosphere models often use GPS-only data. Another 68 important aspect is using a single layer model (SLM) ionosphere approximation and its associated 69 relatively simple mapping function, which results in a rather low relative accuracy of publically 70 available models that amounts to 20–30%, as was shown in Hernández-Pajares et al. (2011). 71 Precise kinematic positioning to centimeter level accuracy requires using the carrier phase 72 observations with the correct resolution of the integer ambiguities. Conclusions previously published 73 for solving the ambiguities of medium baselines On-The-Fly can be summarized in the following 74 two different approaches (El-Hattab et al., 2003): 75

- The main layout of the first approach can be represented by the following two steps: The first 76 step is a static initialization for the rover receiver at the beginning of the mission within a short 77 distance with respect to a reference receiver. This will facilitate the processing of the ambiguity 78 fixing. In the second step, a technique for ambiguity recovery On-The-Fly is introduced to 79 recover the integer ambiguities when cycle slips or data gaps shorter than a few minutes occur. 80
- The second approach mainly depends on the condition that the dominant source of distance dependent errors is the ionospheric refraction compared to the orbit error as well as the
 tropospheric error. As is known, the tropospheric error is mostly affected by the height difference
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between the ends of the baseline rather than the distance. Hence, the ionospheric error produces84the dominant contribution in complicating the ambiguity resolution of a medium baseline85compared to the other errors. Therefore, providing a proven correct ionospheric correction to the86processing will enhance the ambiguity resolution process.87

The current study evaluates the possibility of using Global Ionospheric Maps for mitigating 88 ionosphere effect (large error source) over Egypt. The evaluation process is undertaken by 89 incorporating the derived GIM-VTEC values into the processing of baselines different lengths (up to 90 300 km) in kinematic mode to check how the processing results are improved. Finally, the analysis 91 of the obtained results and graphs supported with the statistical analysis is discussed and presented, 92 from which the important conclusions and recommendations are drawn. 93

2 Methodology

2.1 GPS Observation equations

The observation equations for code and carrier phase measurements on the *Li* frequency (i = 1, 2) can 97 be formulated as follows (Hoffmann et al., 2013): 98

$$P(L_{i}) = \rho + c(dt - dT) + d_{orb} + d_{trop} + d_{ion/li} + d_{mult(P_{li})} + \epsilon(P_{li})$$
(1) 99

$$\varphi(L_i) = \rho + c(dt - dT) + d_{orb} + d_{trop} + d_{ion/li} + \lambda_i N_i + \lambda_i (\varphi_r(to, li) - \varphi_s(to, li)) + d_{mult(\varphi_{li})} + \epsilon(\varphi_{li})$$
(2) 100

Where:

$P(L_i)$: Measured pseudo range on Li (m).	102
$\varphi(L_i)$: Measured carrier phase on Li (m).	103
ρ	: True geometric range (m).	104
с	: Speed of light (m/s).	105
dt	: Satellite clock error (s).	106
dT	: Receiver clock error (s).	107
d _{orb}	: Satellite orbital error (m).	108
d _{trop}	: Tropospheric delay (m).	109
d _{ion/li}	: Ionospheric delay on Li (m).	110
λ_i	: Wavelength (m).	111
Ni	: Integer ambiguity on Li (cycle).	112





$\varphi_r(to, li)$: Initial phase of receiver oscillator.	113
$\varphi_s(to, li)$: Initial phase of satellite oscillator.	114
$d_{mult(P_{li})}$: Multipath effect in measured pseudo range on Li (m).	115
$d_{mult(\varphi_{li})}$: Multipath effect in measured carrier phase on Li (m).	116
$\epsilon(P_{li})$: Measurement noise (m).	117

Denoting the stations by a and b and the satellites involved by j, k, the double difference model for 118 long baselines when there is a significant difference in the atmospheric effect between the two 119 baselines ends and elevation angles at both stations are different can be expressed: 120

$$\nabla \Delta \varphi_{ab}^{jk}(t) = \rho_a^j(t) - \rho_a^k(t) - \rho_b^j(t) + \rho_a^k(t) + \lambda \nabla \Delta N_{ab}^{jk}(t) + \nabla \Delta dorb_{ab}^{jk}(t) + \nabla \Delta dtrop_{ab}^{jk}(t)$$
$$- \nabla \Delta dion_{ab}^{jk}(t) + \nabla \Delta dmult_{ab}^{jk}(t) + \nabla \Delta \varepsilon_{ab}^{jk}(t)$$
(3) (2)

The term $\nabla \Delta N_{ab}^{jk}(t)$ is called the double difference integer ambiguity, that must be determined (as an 122 integer) during the double difference carrier phase processing procedure. If the individual carrier 123 phase observations are continuously made over time (no cycle slip), the integer ambiguity terms 124 remain constant. If these terms can be successfully determined to integer values, the fixed solution to 125 the baseline is achievable. In the case of short base lines, the residual orbital errors $(\nabla \Delta dor b_{ab}^{jk}(t))$, 126 residual ionospheric errors ($\nabla \Delta dion_{ab}^{jk}(t)$), and residual tropospheric errors ($\nabla \Delta dtrop_{ab}^{jk}(t)$) can be 127 considered negligible (Hofmann, 2008). Multipath errors are not mitigated by differencing 128 observations, and hence a user should try to avoid multipath environments whenever possible as the 129 best approach to mitigating their effects (Abu Galala et al., 2018). 130

For medium and long baselines common error does not cancelled out. Because of different elevation 131 angles on both ends of baseline there is no correlation between the errors. Using precise orbit and 132 clock products with centimeter level accuracy, the two errors related with the broadcast orbits and 133 clocks can be significantly reduced. Satellite and receiver clock error does not depend on baseline 134 length, so it can be cancelled by differencing. For the tropospheric residual errors, the best standard 135 method of computing is to apply a tropospheric error model at the locations of the reference and 136 remote stations. Examples of such models include the Hopfield model and the Saastamoinen model 137 (Hoffman, 2008). 138

2.2 Ionospheric modelling

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The ionospheric delay has an intensive impact on the GNSS observations by driving an additional 141 transmission time delay. The magnitude of this effect is determined by the amount of total electron 142 content (TEC) and the frequency of signal. Under normal solar activity conditions, this effect on GPS 143 signals is usually in the range from a few meters to tens of meters, but it can reach more than 100 m 144 during severe ionosphere storms (Rovira-Garcia, 2015). TEC is quantified from GPS measurements 145 by a linear combination of the measured pseudo range and phase observables registered by the 146 receiver on two carrier frequencies (f1 = 1575.4 MHz and f2 =1227.6 MHz). TEC is measured in 147 TECU units with 1 TECU = 10^{16} el/m2. 148

The geometry-free linear combination of GPS observations is used for ionospheric estimation and it 149 is obtained by subtracting simultaneous pseudo range (P_1 - P_2 or C_1 - P_2) or carrier phase observations 150 $(\varphi_1 - \varphi_2)$. Code-based TEC (TEC P) is noisier than phase-based TEC (TEC φ), largely due to 151 multipath, but the phase-based suffers an unknown integer ambiguity offset and is subject to cycle 152 slips associated with rapid ionospheric scintillations. The resultant TEC is the GPS-derived slant 153 TEC along the signal path between satellite and receiver (Zus et al., 2017). In this combination, the 154 satellite - receiver geometrical range and all frequency independent biases are removed. The 155 geometry-free linear combination for carrier phase observations is obtained: 156

$$L_{4}(t) = \varphi_{GF} = \varphi_{1} - \varphi_{2} = (\gamma - 1)dion_{1} + \lambda_{1}N_{1} - \lambda_{2}N_{2} + \varepsilon(\varphi_{1} - \varphi_{2})$$
(4) 157

Where: $\varepsilon(\varphi_1 - \varphi_2)$ is the noise term in phase equation can be neglected for simplicity, the factor γ is 159 the factor to convert the ionospheric delay from L2 to L1 frequency. 160

$$dion_{2} = \frac{40.3 \ STEC}{f_{2}^{2}} = \frac{f_{1}^{2}}{f_{2}^{2}} \ dion_{1} = \gamma \ dion_{1} \qquad \gamma = \frac{f_{1}^{2}}{f_{2}^{2}}$$
(5)

2.3 VTEC Estimation

The ionosphere may be considered as a thin single layer surrounding the earth at a fixed height from 163 the earth for which all free electrons in the ionosphere are assumed to be concentrated, in this singlelayer having a maximum electron density $(10^{11}:10^{12} \text{ e/m}^2 \text{ around } 300-500 \text{ km})$ (Feltens, 2003). IPP is 165 the intersection point between the satellite receiver line-of-sight, and the ionosphere shell (Figure 2). 166 Slant total electron content (STEC) can be translated into VTEC using Single Layer Model (SLM). 167

$$VTEC = F(E) STEC$$
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$$VTEC = F(E)\frac{dion_1 \cdot f_1^2}{40.3}$$

Where: F(E) is the mapping function.

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Mapping function model:

To compute elevation and azimuth angle for any satellite, the satellite position 175 coordinate (x_s, y_s, z_s) in ECEF at the specified epoch is deduced from the IGS final orbits. The 176 interpolated satellite position is then transformed to a local coordinate frame, East, North, and Up 177 (ENU) system. The transferred ENU is used to calculate elevation and azimuth angles as follows 178 (Sedeek et al., 2017): 179

$$E = \arctan\left(\frac{x_{U}}{\sqrt{x_{N}^{2} + x_{E}^{2}}}\right) \qquad A = \arctan\left(\frac{x_{E}}{x_{N}}\right) \qquad 180$$

Where: E and A are elevation angle and Azimuth angle of satellite at the receiver, respectively.181The receiver position in Earth Centered Earth Fixed (ECEF) is converted to geodetic coordinates.182Ionospheric Pierce Point (IPP) is the intersection point between the satellite and the receiver line-183of-sight. Ionospheric Pierce Point (IPP) location can be computed by providing reference station184coordinates (ϕ_r, λ_r), from which the geographic latitude and longitude of IPP can be computed185according to elevation and azimuth angle of satellite as follows (Sedeek et al., 2017):186

$$\psi = \pi/2 - E' - E \tag{187}$$

Where ψ : The offset between the IPP and the receiver; *E'* and *E*: the elevation angles of the satellite 188 at the IPP and receiver. 189

$$E' = \sin^{-1} \left(\left(\frac{R_E}{R_E + H} \right) \cos E \right)$$
 190

 R_E : is the mean radius of the spherical Earth (6371 km)

H: is the height of IPP (taken to be 450 km) 192

$$\phi_{IPP} = \sin^{-1}(\sin(\phi_r).\cos(\psi) + \cos(\phi_r).\sin(\psi).\cos(A))$$
193

$$\lambda_{IPP} = \lambda_r + \frac{\psi.\sin(A)}{\cos(\varphi_{IPP})}$$
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3. GIM Evaluation

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To evaluate the obtained ionospheric TEC values that are produced by IGS, the IONEX data file for 196 a specified time is imported. This data if used with GNSS data should improve the position solution 197 and/or enhance ambiguity resolution of a specified baseline that cannot be fixed under normal 198 conditions, otherwise the quality of the imported ionospheric data is not good enough to support the 199 positioning works. However, our evaluation approach is built on applying the imported INOEX data 200 on a third-party processing SW, Trimble Total Control, known as TTC, for collected baselines of 201 different engths. The processing is performed on a kinematic mode. Alternative ion TEC data, 202 generated by regional model was applied to evaluate the validity of the proposed evaluation 203 approach. 204



Figure (2): Elements of the spherical ionospheric shell model (Sedeek et al., 2017).

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3.1 Data Description

The data used for the evaluation study, refer to figure (3), were collected on April 15, 2015 at seven 218 stations: six of them, is the northern part of the Egyptian Permanent GNSS Network (EPGN) 219 established by the National Research Institute of Astronomy and Geophysics NRIAG at 2006 and the 220 seventh station in Alexandria managed by the French institute, Centre d'Études Alexandrines 221 (CEALX). All NRIAG Stations are equipped with Trimble Net R5 Dual frequency GNSS receivers 222 whilst Alexandria is equipped with a LEICA GRX1200 GG-Pro Dual frequency GNSS Receiver. 223





The data sample rate was 30 seconds epoch interval. The number of visible satellites varied between	224
6 and 10 during the test period. As is shown in figure (3), all the used GNSS stations are located	225
between Latitudes 30° & 32° and Longitudes 25° & 33°.	226

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3.2 Processing Software

For baseline processing, Trimble Total Control 2.7 (TTC2.7) was the main processing software 229 package that was used for the kinematic processing of the data. TTC has the capability to implement 230 precise ephemeris and global ionospheric maps (IONEX). On the other hand, for Precise Point 231 Positioning (PPP), the online service provided by Natural Resources Canada (NRCan) was utilized to 232 provide the threshold values for comparison (Rabah et al., (2016). The NRCan Online Precise Point 233 Positioning Software is developed by NRCan to supply various users' application requirements. The 234 PPP service can be used to process data collected by any single-or dual-frequency receiver, and the 235 data can be observed in static or kinematic modes. PPP is accessible via the Internet by logging into 236 the NRCan website (http://www.geod.nrcan.gc.ca/online_data_e.php). 237

3.3 GIM data

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Table (1) shows a part of the IONEX data that was assigned for the specified latitude location of first	240
epoch of day April 15, 2015. The evaluation process is carried out by incorporating the derived GIM-	241
VTEC values into the processing of different baseline lengths (up to 300 km), in kinematic mode and	242
check how the processing results are improved. The evaluation was performed on several lengths of	243
baselines, see table (2), and processed with TTC software, with and without IONEX in Kinematic	244
mode. Unfortunately, the results show that the IONEX file did not affect the results at all: no	245
differences were found in solutions with and without IONEX. The results confirm that there is no	246
significant effect of the provided GIM values on the solution of kinematic processing. The results of	247
GIM values forced us to check the validity of Ion TEC values in the IONEX file for the specified	248
area. A trial was undertaken to compute alternative regional TEC values using another model.	249







Table (1): Sample of the used IONEX file

20	15	4	15	0	0 (0			E	POC	H OI	FCU	RRE	NT M	IAP
32.	5-18	0.0 1	80.0	5.0	450.0)			L	AT/L	ON1	/LO	N2/D	LON	/H
621	632	633	630	628	630	630	621	594	553	508	471	448	438	436	434
433	429	422	414	404	390	372	351	331	318	315	320	333	348	360	363
352	330	305	283	263	247	230	215	208	209	215	221	221	215	202	186
170	156	149	153	169	196	228	253	269	277	287	301	319	337	352	364
373	384	404	435	475	521	564	598	621							
30.0	0-18	0.0 1	80.0	5.0	450.0)			L	AT/L	ON1	/LO	N2/D	LON	/ H
657	668	669	664	660	659	657	648	623	585	542	507	485	474	469	466
461	456	449	439	424	404	378	351	330	321	328	347	376	406	430	438
425	396	361	330	304	280	256	233	218	213	216	220	221	214	202	187
173	161	154	158	174	201	231	256	270	277	285	300	320	341	360	374
385	397	419	453	497	546	593	631	657							

Table (2): The baseline used in verification

Baseline									
From	То	Length (Km)							
Borg-Alarab (Borg)	Alexandria (Alex)	49.05							
Port-Said (Said)	Mansura (Mnsr)	94.47							
Helwan	Mansura (Mnsr)	130.76							
Borg-Alarab (Borg)	Mansura (Mnsr)	171.11							





Helwan	Port-Said (Said)	179.51
Helwan	Borg-Alarab (Borg)	203.05
Port-Said (Said)	Alexandria (Alex)	229.05
Borg-Alarab (Borg)	Port-Said (Said)	264.98

A new algorithm based on Zero-differenced phase Ionospheric Delay (ZDPID) was developed 257 (Tawfeek et.al., 2018). The core of this algorithm is mainly dependant on computing the TEC values 258 by using carrier phase and GPS phase ambiguity resolution model by using Sequential Least Square 259 Adjustment. The proposed algorithm has been written using MATLAB code. The TEC values are 260 computed for the aforementioned stations every epoch, 30 sec., then an average TEC values were 261 computed every two hours similar to the GIM in IONEX file. The TEC values of the ZDPID with 262 IONEX-IGS are depicted in figure (4). As is shown in figure (4), the TEC differences between the 263 regional ZDPID values and the IONEX-IGS values exceed several tens of TEC units especially in 264 the early morning with reduced values given at noon. 265



Figure (4): Mean TEC results every 2 hours of the study stations with comparison to IGS GIMs Day 105, 2015 268

Krankowski and Hernandez-Pajares (2016) confirmed that due to the shortage of GNSS stations in
North Africa, the first GIM computation stage suffered from the hole existing in North Africa and
over the Oceans, see figure (5). They deployed an optimum spatial-temporal interpolation technique
to cover these holes. Based upon the above discussion, it is easy to confirm that the derived
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ionospheric TEC values derived from IONEX GIM products are not feasible and useless for use in precise positioning. 274



Figure (5): The holes of the GIM computation as indicated by (Krankowski and Hernandez-Pajares, 2016)

3.4 Modifying GIM-IONEX data

To modify the TEC data given in the IONEX file, the procedures described in the flow chart depicted in figure (6) were applied. Table (3) demonstrates a sample of the original TEC values as given in IONEX file and the modified values for Borg and Port Said stations at April 15, 2015. However, to see the validity of the computed regional Ionospheric TEC against the IONEX values, four baselines, namely Baseline Helwan ~ Mnsr 130.76 km, baseline Helwan ~ Said 179.51 km, baseline Helwan ~ Borg 203.16 km and baseline Borg ~ Said 264.98 km, were processed twice by TTC. The first processing was done without using any ionospheric correction and the second by using the modified IONEX files. The following chapter demonstrates the results of the processing of different baseline varying from 100 km to 270 km.







153 The original TEC values given by IONEX at April15, 2015

232 237 240 239 232 217 196 173





3	2.5-:	180.0	180.0	5.	0 450	.0					I	LAT/L	ON1/L	DN2/D1	LON/H	
153	136	5 130) 133	146	168	197	231	269	308	342	369	389	403	413	423	
435	445	5 456	5 471	491	512	532	544	548	545	540	540	545	550	552	549	
544	539	9 546	5 562	580	586	577	551	516	478	141	415	387	363	343	327	
313	296	5 278	3 266	263	269	274	271	258	239	223	216	216	218	222	227	
232	231	240) 239	232	217	196	173	153								
The	e TE	C va	lues g	given	ı by 2	ZDPI	ID pi	rogra	am a	t Apı	ril15,	201	5 for	MN	SR	
32	.5-18	0.0 1	80.0	5.0	450.0)					L.	AT/LO	N1/LO	N2/DL	ON/H	
153	136	130	133	146	168	197	231	269	308	342	369	389	403	413	423	
435	445	456	471	491	512	532	544	548	545	540	540	545	550	552	549	
544	539	546	562	580	586	577	551	516	478	298 298	415	387	363	343	327	
313	296	278	266	263	269	274	271	258	239	223	216	216	218	222	227	
232	237	240	239	232	217	196	173	153								
The	TEC	' valı	ies gi	ven l	by Z	DPII) pro	ograr	n at .	Apri	115, 2	2015	for I	Port-	Said	
							Stat	ion								

4. Results and Discussion

The processing of the RINEX data was conducted using Trimble Total Control 2.7. The data were 334 processed three times: the first run was performed by using the specified baselines data with normal 335 default processing parameters, i.e. without using GIM. The second run was carried out using 336 modified GIM and the third run was made using static precise point positioning for all 24-hours data 337 of all stations to be used as a threshold reference values for comparison. The CSRS-PPP was 338 deployed to give the required static solution for the specified stations, (Rabah et al., 2016). It should 339 be borne that the two runs of TTC solutions were obtained without fixing the ambiguities i.e. float 340 ambiguity solution. The TTC could not fix the ambiguities for the specified baselines. The discussion 341 is therefore based on only how the Modified IONEX files provided with the TEC values computed 342 by the ZDIPD algorithms improve the positioning. 343

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The differences between the CRCS-PPP solution and the two TTC positioning solution were 346 computed and are depicted in figures 7, 8, 9 & 10. Figures 7, 8, 9 and 10 show the position 347 differences in easting, northing and ellipsoidal height between the computed static NRCan PPP and 348 the kinematic epoch by epoch solution in case of normal default processing parameters (D.D) and 349 with using modified IONEX values (D.D.M-GIM). Figure (7) demonstrates how the modified 350 IONEX, Mod-GIM, improve the kinematic solution of the baseline Borg-Mansura with length of 351





171.11 km. The differences between the two solutions were improved from (-37.11 & 11.89 cm)352with RMSE 29.07cm to (0.33& 1.79 cm) and RMSE of 0.93 cm for Easting component, and for the353northing component, the improvement ranged between the minimum value (-7.66 to -0.32 cm) and354the maximum values was reduced from (49.71 to 0.81cm), with the RMSE improved from (19.40 cm355to 0.5 cm). For the height components the differences were improved from (-156.74 & 70.55 cm) to356(-2.20 & 2.00cm) with an improvement the RMSE from 54.61cm to 1.43cm.357

Figure (8) shows the effect of the modified Ion TEC value on improving the three components of 358 positioning of the baseline Helwan ~ Said of length 179.51 km. The figure depicts how the 359 Ionospheric value improve the quality and the quantity of the three positioning components. Figure 360 (9) demonstrates how the modified Ion TEC value improved the positioning solution of the Helwan ~ 361 Borg baselines of length 203.16 km. Finally, as it is seen in figure (10), the three components of 362 positioning of the baseline Borg ~ Said of length 264.98 km were improved. 363











Statistical		Double Diff		Double	Diff with Mod	I-IONEX
Item	ΔE	ΔN	Δh	ΔE	ΔN	Δh
Min(cm)	-37.11	-7.66	-156.74	0.33	-0.32	-2.20
Max(cm)	11.89	49.71	70.55	1.79	0.81	2.00
Mean(cm)	-27.42	7.07	1.03	-0.84	0.42	-0.73
Rms(cm)	29.07	19.40	54.61	0.93	0.50	1.43

Figure (7): Positioning error with and without Mod. GIM in (East, North, Up) components between365static PPP solution and relative kinematic positioning with Statistics for base line Borg~ Mnsr 171.11366km367









Statistical	Double Diff		Double Diff with Mod-IONEX			
Item	ΔE	ΔN	Δh	ΔE	ΔN	Δh
Min(cm)	-28.60	-20.80	-26.17	-5.26	-0.98	-12.10
Max(cm)	58.28	11.31	82.24	0.81	3.38	-6.25
Mean(cm)	17.00	-3.19	27.78	-2.42	0.38	-8.21
Rms(cm)	34.17	7.76	40.24	3.01	1.16	8.35

Figure (8): Positioning error with and without Mod-GIM in (East, North, Up) components between368static PPP solution and relative kinematic positioning with Statistics for baseline Helwan ~ Said369179.51 km.370









Statistical	Double Diff			Double Diff with Mod-IONEX		
Item	ΔE	ΔN	Δh	ΔE	ΔN	Δh
Min(cm)	-0.30	0.36	-27.80	-0.30	-0.36	-17.00
Max(cm)	13.37	4.13	-11.21	2.68	0.64	-9.21
Mean(cm)	2.90	1.36	-16.05	0.30	0.18	-13.02
Rms(cm)	4.65	1.70	16.55	0.92	0.27	13.08

Figure (9): Positioning errors with and without Mod-GIM in (East, North, Up) components between371static PPP solution and relative kinematic positioning with Statistics for baseline Helwan ~ Borg372203.16 km.373









Statistical	Double Diff			Double Diff with Mod-IONEX		
Item	ΔE	ΔN	Δh	ΔE	ΔN	Δh
Min(cm)	-11.36	-50.09	-70.55	-0.88	-0.04	-1.72
Max(cm)	36.74	7.54	156.79	0.20	1.04	1.86
Mean(cm)	25.07	-11.01	0.43	-0.56	0.32	0.84
Rms(cm)	27.32	22.77	64.04	0.59	0.42	1.13

Figure (10): Positioning error with and without Mod-GIM in (East, North, Up) components between374static PPP solution and relative kinematic positioning with Statistics for baseline Borg ~ Said 264.98375km.376

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5. Conclusions

The current paper evaluates the ionospheric correction by Global Ionospheric Maps, GIM, provided381in (IONEX) files produced by International GNSS Services "IGS". The evaluation is done based on382investigating the effect of given GIM ionospheric correction on kinematic relative positioning383solution. The evaluation has been performed on several baselines with different lengths in Egypt.384Based upon the baselines processing results, the following conclusions can be drawn:385

- Due to the lack of GPS stations over the equatorial, North Africa and Atlantic in IGS network, the produced Global Ionospheric maps (GIMs) have poor effect for mitigating 387 ionospheric error for precise positioning. 388
- Evaluation of the TEC values in IONEX map by using estimated TEC values provided by
 Zero-differenced phase Ionospheric Delay (ZDPID) algorithm, a fruitful result is obtained for
 correcting ionospheric error over kinematic solution of many baseline lengths up to 265 km.
 391
- Most commercial software's such Leica Geo-Office, Trimble Total Control, Trimble Business
 Center failed to obtain accurate results for the kinematic solution of baseline lengths over 300
 km.





6. References

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Abou Galala M., M. Kaloop, M. Rabah, and Zaki Zidan: "Improving Precise Point Positioning397Convergence Time through TEQC Multipath Observable".Paper Published in American Socity of398Civil Engineering, Journal of Surveying Engineering, J. Surv. Eng., 2018, 144(2): 04018002, 2018.399

El-Hattab A. and M. Rabah : "Applying New Approaches for Improving the On-The-Fly (OTF)400Ambiguity Resolution Process Over Long Baselines", Port Said Engineering Journal (PSERJ), Vol. 5401(2), September 2001, 334-345, 2001,402

Feltens, J.: The International GPS Service (IGS) ionosphere working group. Adv. Space Res. 2003, 403 31, 205–214, 2003. 404

Hernández-Pajares, M., Juan, J.M., Sanz, J., Aragon-Angel, A., Garcia-Rigo, A., Salazar, D.,
Escudero, M.: "The ionosphere: Effects, GPS modeling and the benefits for space geodetic techniques". J. Geodesy 2011, 85, 887–907, 2011.

Hernandez-Pajares, M., Roma-Dollase, D., Krankowski, A., Garcia-Rigo, A., Orús-Perez, R.: 408 Methodology and consistency of slant and vertical assessments for ionospheric electron content 409 models. J. Geodesy 2017, 91, 1–10, 2017. 410

Hofmann-Wellenhof, B., H. Lichtenegger, and E. Wasle: "GNSS Global Navigation Satellite 411 Systems; GPS, GLONASS, GALILEO & more". Springer Wien New York, 2008. 412

Krypiak-Gregorczyk, A., Wielgosz, P., Jarmołowski, W.: A new TEC interpolation method based on the least squares collocation for high accuracy regional ionospheric maps. Meas. Sci. Technol. 414 2017, 28, 045801, 2017. 415

Krankowski A. and M. Hernandez-Pajares: "LOFAR Ionospheric Workshop Space Research Centre 416 of the Polish Academy of Science, 2016. 417

Komjathy, A., Schaer, S., Krankowski, A.: The IGS VTEC Maps: A Reliable Source of Ionospheric 418 Information since 1998. J.Geodesy 2009, 83, 263–275, 2009. 419

Orùs, R., Hernández-Pajares, M., Juan, J.M., Sanz, J.: Improvement of global ionospheric VTEC 420 maps by using kriging interpolation technique. J. Atmos. Sol. Terr. Phys. 2005, 67, 1598–1609, 2005 421

Rabah M., Z. Zeedan, E. Ghanem, A. Awad and A. Sherif: "Study the feasibility of using PPP for establishing CORS network". Arab J Geosci (2016) 9:613, DOI 10.1007/s12517-016-2647-8, 2016. 423

Rovira-Garcia, A., Juan, J.M., Sanz, J., González-Casado, G.: A World-Wide Ionospheric Model for Fast Precise Point Positioning. IEEE Trans. Geosci. Remote Sens. 2015, 53, 4596–4604, 2015. 425

Ryan, B.: Single frequency differential positioning using GPS carrier phase observations for
stationary receivers, Master of Science dissertation. Retrieved from university of Florida, department
of geomatics engineering, 2015.426
427
428

Sedeek A. A., Doma M. I., Rabah M. and Hamama M. A.: Determination of Zero Difference GPS429Differential Code Biases for Satellites and Prominent Receiver Types, Arabian journal of
geosciences, vol. 10, January 2017.430

Schaer, S.: Mapping and Predicting the Earth's Ionosphere Using the Global Positioning System.432Ph.D. Thesis, Astronomical Institute, University of Berne, Bern, Switzerland, 1999.433





Tawfeek H., A. Sedeek, M. Rabah and G. El-Fiky: "Regional Ionosphere Mapping Using Zero Difference GPS Carrier Phase". Paper under publishing in Journal of Applied Geodesy, Walter de Gruyter GmbH, 2018.	434 435 436
Zus, F.; Deng, Z.; Heise, S.; Wickert, J.: Ionospheric mapping functions based on electron density fields. GPS Solut. 2017, 21, 873–885, 2017.	437 438
	439