

Responses to comments on “Analysis of Juno perijove 1 magnetic field data using the Jovian paraboloid magnetospheric model” by Ivan A Pensionerov et al. (Manuscript number angeo-2018-82)

Anonymous Referee #1

We are grateful to the Referee for their comments and attention to our work. The comments are reproduced verbatim in italics, and our replies given step-by-step beneath. The page and line numbers are given for the revised manuscript.

General comments

The paper adjusts the paraboloid Jovian magnetospheric magnetic field model from Alexeev & Belenkaya 2005 to magnetic field data recorded by Juno in the middle magnetosphere during its first perijove of august 2016. Two of the nine model parameters are constrained by the selected measurements (the magnetodisc inner radius R_{DC2} , and the magnetodisc field at its outer boundary B_{DC}), the other seven being fixed at their value deduced from the Ulysses flyby. The new values differ by resp. 14% and 26% from their Ulysses values, the error bars making the new R_{DC2} value marginally consistent with the Ulysses one. The authors carefully discuss the selection of the 2 parameters to fit (while retaining the others at their Ulysses values) and the possible future improvements of the paraboloid model.

The referee correctly describes the content of the present work. However, we emphasize that the reasons for focusing on the selected model parameters while retaining others at the Ulysses values was carefully discussed and justified in the paper, as it is in the revised version. That is to say, in the dawn sector of the middle magnetosphere the role of the magnetodisc is predominant.

While the new values of B_{DC} and R_{DC2} may be useful to colleagues working on the magnetosphere of Jupiter, I consider that a fit of 2 parameters from a single Juno perijove (out of 14 up to now) does not justify the publication of a regular article. With further work, there seems to be matter for a good regular article along two possible lines (not mutually exclusive): (1) analyzing many more Juno perijoves and studying the variability of the adjusted parameters, the fit quality, the possibility to constrain more parameters, to perform a global multi-perijove fit, etc. and/or (2) proceeding to some improvements of the paraboloid model (the most obvious one being to replace the infinitely thin disc by one of finite thickness) before applying it to Juno data. Accordingly, I request a major revision of the present manuscript.

In response to the referee’s comment we have now enhanced the article by analysing data from the first ten Juno perijoves. All of them except PJ-01 lack the near-perijove data in a variable manner, which was the reason to choose to examine PJ-01 specifically in the original article. In addition, we also included all three magnetodisc parameters into the fit (inner and outer radius and field strength parameter), and, in response to comments from Referee 2, also improved the method of model parameter optimization to an automated non-linear optimization procedure (see responses to Referee 2). However, the results show that the best-fit model always has an outer radius at the maximum value set ($95 R_J$) by the model distance of the subsolar magnetopause. As indicated above, the reasons for employing the Ulysses values of the minor field contributions is fully discussed and justified. Overall, however, the article has been significantly revised, with Section 3 undergoing the most important changes. Concerning the comments on improving the paraboloid model, this is clearly outside the scope of the present paper, and is the subject of ongoing and future work. However, the present paper allows us to reveal the points which need improvement, specifically the thickness of the disc and variable dependence of the current density with radial distance.

Specific comments

The scientific interest for determining a new fit of some parameters of the paraboloid model is not discussed.

In response to this comment we have now inserted the following in the Introduction at page 2 lines 6-10, which we feel explains the significance of the study. “We note that the magnetodisc may be regarded as the most important source of magnetic field in Jupiter’s magnetosphere, with a magnetic moment in the model derived by Alexeev and Belenkaya (2005) using Ulysses inbound data, for example, which is 2.6 times the planetary dipole moment. Consequently, the magnetodisc plays a major role in determining the size of the system in its interaction with the solar wind, and is thus an appropriate focus of study using Juno magnetic field data.”

It is not clear if inbound and outbound passes are considered separately in the plots only (e.g. Figs 2, 4, 5), or also for the adjustment. In the latter case, it should be justified and the values found for the 2 legs compared.

The model parameters are the same for both legs of each orbit. In the revised paper the inbound and outbound passes are shown in the same figure to make this clear, and it is stated explicitly in the caption of Figure 5.

The covariance of B_{DC} and R_{DC2} with the other 7 parameters could be better discussed. How are uncertainties likely to be affected ? Would this not imply that the present determinations of B_{DC} and R_{DC2} are actually compatible with Ulysses data?

Evidently the fit results for the magnetodisc parameters could be significantly altered from those given in the paper if, e.g., the tail and magnetopause current parameters were varied through arbitrary ranges. However, as shown in Figures 3 and 4 the fields due to the tail and magnetopause currents in the Ulysses model are at least an order of magnitude less than the field due to the magnetodisc in the region inside $60 R_J$ considered in the paper, such that they will remain small in any plausibly modified model. This conclusion is reinforced by the fact, now noted in the related text, that the tail and magnetopause fields have opposite senses, and hence partly cancel. Brief examination then indicates that if these parameters are varied within plausible ranges, the disc parameters are altered by $\sim 10\%$. For the purposes of the present paper we therefore believe it to be most satisfactory to compare disc parameters between Juno orbits while holding the minor contributing fields at constant and reasonable values.

For example, you state that "deep and sharp field decreases due to the equatorial current sheet encounters continue to be observed on the Juno trajectory even at large radial distances $r > 90R_J$ ". May this imply that the Ulysses value of the outer radius of the magnetodisk $R_{DC1} = 92R_J$ is actually underestimated?

We believe the outer radius of the disk is not underestimated in the submitted or revised papers, for the following reason. We have to recognise that in the physical system near the dawn-dusk meridian and on

the nightside the magnetodisc current sheet merges directly into the tail current sheet, so that at large distances it is the tail current sheet that is being observed. In the model, however, the magnetodisc is treated as axisymmetric, with a radius that for physical consistency must be limited to lie at least a little inside the subsolar magnetopause. The continuing current sheet on the nightside is then treated in the model as a separate current system as fully discussed in section 2, and now illustrated in Figure 1 in the revised article. We note that in the revised paper we also treated the outer magnetodisc radius as an adjustable parameter determined from a fit to the data as indicated above, but found that the best-fit value was always the largest value allowed by the above physical restriction, i.e., an outer radius of 95 R_J compared with a subsolar magnetopause radius of 100 R_J .

On p.8, you mention about the upstream solar wind "the limited information obtained by computer modelling using data from near Earth orbit as input". But there are today very good models of solar wind propagation to Jupiter and beyond (mSWiM model of Zieger & Hansen 2008, or the model from Tao et al. 2005).

Despite the acknowledged limitations of solar wind MHD modelling from Earth's orbit into the outer solar system (e.g., requirement for reasonable Earth-planet alignment, uncertainties in arrival time of a day or so, and inability to predict the north-south IMF component), the remarks in the submitted paper on this point were perhaps a little too negative. However, this discussion misses the main point about variability, since the solar wind will typically vary strongly on the time scale of the Juno passes, the overall orbit period being approximately two solar rotations. Such variability makes the task of modelling the field conditions in the outer magnetosphere very challenging, even if one has reasonable knowledge of the input conditions from MHD models. It is for this reason that we focus here on the dawn sector middle magnetosphere inside of $\sim 60 R_J$ where, as we have indicated, conditions are not strongly influenced by the solar wind-related fields, but are instead dominated by the field of the magnetodisc (plus the planetary field). On page 4 lines 3–7 we have replaced the above comments by the following text, which we believe takes care of the referee's comments.

“In this paper we confine our attention to the middle magnetosphere, where, as we now show, the magnetic field is dominated by the magnetodisc and the planetary field. In the outer magnetosphere the field becomes strongly influenced by external conditions in the solar wind, and although in some circumstances these can be reasonably well predicted by MHD models initialised using data obtained near Earth's orbit (e.g. Tao et al., 2005; Zieger and Hansen, 2008), they will typically vary strongly on the time scale of the Juno orbit (Figure 2), and with them too the outer magnetospheric field.”

Technical corrections

It may be worth saying in the title which part of the magnetosphere is studied (e.g. the magnetodisc) rather than mentioning only the data and the model.

In response to this comment we have now changed the title to “Magnetodisc modelling in Jupiter's magnetosphere using Juno magnetic field data and the paraboloid magnetic field model”.

p.1 l.11: flybys OF Jupiter ? (NB: this is only a suggestion, the native english-speaking co-author is certainly more knowledgeable than me about the style)

Changed as suggested (page 1 line 11).

p.1 l.16: what do you mean by "angular model".

Now corrected to “plasma angular velocity model” (page 1 line 17).

p.2 l.23: a sketch illustrating the 9 parameters would be useful.

In response to this comment we have added new Figure 1 in the revised version illustrating seven of the model parameters employed. Parameters k and B_{IMF} are not included in the analysis for reasons fully discussed in the paper, and are consequently not shown in the figure.

p.3 l.11: maybe precise that "negligible" means here "<10% of».

In accordance with the referee’s comment the text now specifies “less than 10%” (page 5 lines 2–3).

p.3, l.15: explain why "the use of averaged parameters is not adequate in this region», i.e. address the solar wind driven variability.

This issue about solar wind and outer magnetosphere variability is fully dealt with above. This specific text is now omitted in the revised paper.

p.4, l.19: rather than discarding the use of the root-mean-square absolute deviation because it depend strongly on the position of the inner fitting interval boundary, could another option be to use both it (to perhaps better constrain R_{DC2}) and the relative deviation (for B_{DC} and R_{DC2}) ?

This point is now discussed more fully in the revised version on page 6 lines 7-11. Use of the absolute deviation strongly emphasises the fit in the inner region where the residual fields are the largest. We regard the relative deviation as preferable since it equalizes the influence of the data from the whole interval employed, and gives a better fit to the data overall. A comparison of the fits for PJ-01 is shown in the figure attached below.

Caption of Fig. 4: the JRM09 model has not been subtracted from the residual magnetic field but from the observations.

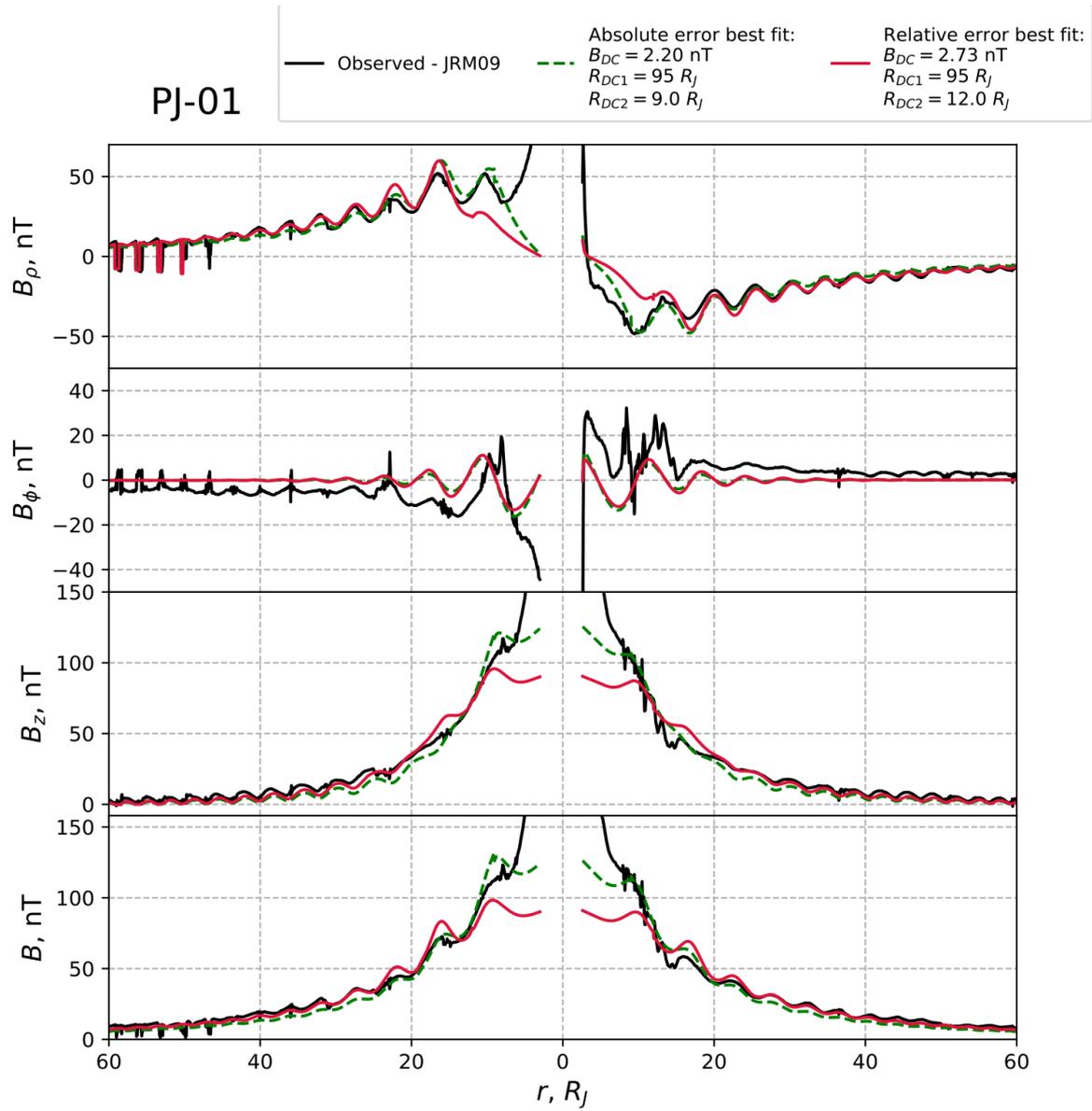
The caption (now Figure 5) has been revised as follows.

“Observed (black) and modelled (red) residual fields in JSM cylindrical components, together with the residual field magnitude, for Juno perijove 1. The residual field is the observed field with the JRM09

internal field subtracted. The fields are plotted versus spherical radial distance with inbound data shown on the left and outbound data on the right. The same model field is used for both.”

Ivan A Pensionerov on behalf of the co-authors

27 November 2018



Responses to comments on “Analysis of Juno perijove 1 magnetic field data using the Jovian paraboloid magnetospheric model” by Ivan A Pensionerov et al. (Manuscript number angeo-2018-82)

Anonymous Referee #2

We are grateful to the Referee for their comments, which have resulted in a number of significant changes in the revised version. The comments are reproduced verbatim in italics, and our replies given step-by-step beneath. The page and line numbers are given for the revised manuscript.

General comments

In this paper the authors present Jovian magnetic field measurements from the middle magnetosphere collected during Juno perijove 1 pass. The data are analysed in order to determine optimal parameters for the magnetodisc described by the semi empirical global paraboloid Jovian magnetic field model by Alexeev and Belenkaya (2005). This model consists of six components contributing to the total magnetospheric magnetic field (internal field, IMF and different current systems contributions).

In their analysis, the magnetic field data are kept untouched, and the principal contributions to the magnetic field in the observed region (middle magnetosphere) are assumed to be the internal field and the magnetodisc. Only two parameters of the four parameters to describe the magnetodisc are ‘fitted’ (while there are a total of nine parameters for the global magnetic field). These parameters are the radius of the inner edge of the disc RDC2 and the magnetic field at the outer edge of the magnetodisc BDC, the other two parameters consist of Jupiter’s dipole ψ (and is calculated as function of time), and the radius of the outer edge of the disc RDC1 (fixed to the value given by Alexeev and Belenkaya (2005) with data from the inbound trajectory of Ulysses).

*Similar studies to estimate the magnetodisc’s parameters according to a model have been carried for Jupiter (as well as Saturn) with empirical models such as the CAN disc (Connerney, Acuna and Ness, 1983) using magnetic data from various missions (Voyager, Pioneer, Galileo, Ulysses, Cassini). There are also detailed physical models such as Caudal (1986), and Achilleos, Guio and Arridge (2010) for Saturn to which magnetic data have been compared. This study is carried using magnetic data collected from the on-going mission to Jupiter, Juno. This could potentially contribute and add to the existing knowledge from previous work but I believe that the article in its present form is not acceptable for publication in *Annales Geophysicae*. But I would encourage the authors to resubmit their paper after implementing the revisions as proposed hereafter.*

The referee’s description of our paper is mainly correct. We point out, however, that it is shown directly in the paper (Figures 3 and 4 in the revised version) that fields in the regime considered, inside 60 R_J , are indeed dominated by the magnetodisc and planetary fields, such that this is not an assumption as stated above. This finding then makes it reasonable to treat the minor field contributions from the tail and magnetopause currents in an approximate way, by using fixed parameter values set at those determined from the Ulysses inbound pass. These fields are typically at least an order of magnitude less than the magnetodisc field in the middle magnetosphere regime investigated, such that plausible modifications will not change the fit to the magnetodisk field significantly.

Specific comments

In an age where advanced nonlinear fitting programs and methods have never been so easy to access, I find it somehow not acceptable to ‘characterise’ the best fit of a multi-parameter fit model with a contour plot of the residuals for the two parameters BDC and RDC2 (Fig. 3). I would recommend to try and use a standard nonlinear fitting program implementing a Levenberg Marquardt method or similar, that provides

as well meaningful statistics like error estimates for the parameters. You might be want as well to try and fit RDC1 with such method.

In response to this comment we have changed the method of parameter optimization to the “Trust Region Reflective” procedure (Branch et al., 1999), as indicated on page 7 lines 9-10. We also newly included R_{DC1} (outer disc radius) into the fit. However, the best R_{DC1} value for all 10 orbits employed in the study was found to be the maximum value set in relation to the size of the model subsolar magnetopause, namely 95 R_J (Table 1 and page 8 lines 1–3).

Branch, M. A., Coleman, T. F., and Li, Y.: A Subspace, Interior, and Conjugate Gradient Method for Large-Scale Bound-Constrained Minimization Problems, SIAM Journal on Scientific Computing, 21, 1–23, <https://doi.org/10.1137/s1064827595289108>, 1999

Eq. 3 does not make sense in its present form. The numerator under the summation over measurement points is homogeneous to the square of a vector while a scalar is meant: the Euclidean vector norm. It is not clear what is actually fitted, the components of the vector (in what coordinate system?).

In the revised paper the form of the equation, now Eq (4), has been clarified, and its denominator changed from the magnitude of the modelled field to the magnitude of the observed residual field. The calculation was carried through using Cartesian components in the JSM system, but this is actually immaterial since the vector magnitudes employed are entirely independent of the chosen coordinate system.

Figures 4, 5 and 6 all show the amplitude of the magnetic field. It would be more meaningful to present the radial, meridional, azimuthal components and the amplitude of the residual magnetic field in order to identify the component that ‘best’ fit (the radial component?) and ‘worst’ fit (the azimuthal component due to the poloidal nature of the field/lack of bend-back model?).

In conformity with the referee’s comments, in the revised version Figures 5-7 showing the modelling results for the residual field now display cylindrical components in the JSM system together with the field magnitude. All of these figures have been significantly changed during revision.

In Figures 4 and 5 the observations at large radial distance exhibit large fluctuations. Do you have any explanation?. Does it make sense at all to include these data in the fit? Wouldn’t it be better to smooth the data first? Also does Figure 4 (inbound) not suggest that RDC2 could be larger than 92 R_J while in Figure 5 (outbound) RDC2 could be smaller than 92 R_J ?

We believe the referee is referring to the radius of the outer boundary of the disc, R_{DC1} , in the above comments. As discussed in the paper, the field in the outer magnetosphere is strongly influenced by the variable and not well known conditions in the solar wind/IMF. For this reason we restricted our analysis of the dawn sector Juno data to the radial range less than 60 R_J where the relative influence of the solar wind is far less, and the field variations rather smooth. We do not include the fluctuating data at large radial distances into our fit.

In Section 4, I would recommend to carry out a valid and fair comparison with the CAN disc by actually fitting the four parameters of the CAN disc, otherwise the comparison seems arbitrary.

In response to this comment, we have now carried out a fair comparison of results using the CAN model to fit to the residual data, with results described in Sect 4 and Figure 7.

Figures could be made slightly bigger in general. In Figure 1 it might be useful to add panels for cylindrical and spherical distance as well as local time.

The figures have been made larger, and panels as suggested have been added to Figure 2 (was Figure 1).

Technical corrections

l. 27, p. 2: it would be nice to elaborate on why the IMF better off neglected rather than considering a typical value.

This issue is now discussed in more detail on page 5 lines 3–6. Basically, the added field would be small, of order the tail and magnetopause fields or smaller, highly variable with time on the scale of the Juno orbit, and of unknowable orientation. We thus conclude that it is justified to neglect this contribution on this basis, with the inclusion of the following text.

“For related reasons we also neglect the penetrating IMF term in equation (2), which is unknown when Juno is inside the magnetosphere, highly variable in direction with time, and typically of magnitude ~ 0.1 – 1 nT (Nichols et al., 2006, 2017). This field too, with penetration coefficient $k < 1$, is therefore similarly negligible in the $r < 60$ RJ middle magnetosphere studied here.”

paragraph starting l. 12, p. 4: the discussion on the sensibility of S to the range of measurements considered for the fit is of prime importance. It needs some clarification and also expanded to justify the choice of range.

The choice of ranges for analysis of the Juno data now considered in the revised paper is fully explained on page 6 lines 12–14 and page 7 lines 1–7 (plus Table 1) as follows.

“With regard to the choice of interval employed to minimize S , we note that use of data from the innermost region is not optimal. The JRM09 internal planetary field model differs from observations at periapsis (1.06 RJ) by 0.3×10^5 nT (Connerney et al., 2018), which is reasonable accuracy for describing an observed field of magnitude $\sim 8 \times 10^5$ nT, but does not allow us to distinguish the magnetodisc field of order 100 nT on this background. We thus restricted the inner border of the interval to consider $r > 5$ RJ only. However, on most passes examined here, the inner radial limit is set instead at somewhat larger radii by the data that are presently available for study. A further limitation on the region of calculation of S in the outer magnetosphere arises from the fact that the paraboloid model does not display regions of low field strength during intersections with the magnetodisc, as is observed in the field at larger distances, due to the use of the infinitely thin disc approximation (see Section 4). It is thus necessary to avoid these regions by also setting a maximum radial distance, R_{\max} , on each pass (see Figure 2 for perijove 1).”

l. 7, p. 5: what does the value $S = 0.2$ correspond to concretely in terms of statistics? As it stands it seems to be an arbitrary choice.

l. 14, p. 5: I am not sure to follow the argument. What is it meant by ‘acceptable pairs of parameters are aligned with the line to some extent’? Some clarification needed.

Since the method of parameter optimization has now been changed as indicated above, and the corresponding text and figure omitted, these comments are no longer relevant to the revised paper.

l. 1-5, p. 6: the discussion about the discrepancies observed in the internal field is too vague and lack content.

At page 6 lines 13-14 in the revised version we simply report factually on the accuracy with which the published JRM09 internal field model agrees with the published periapsis data on Juno PJ-01.

paragraph starting l. 2, p. 7: as mentioned before does it really make sense to take arbitrary values for the CAN disc parameters. Wouldn't it make more sense to carry a proper fit?

As indicated above, a full fit and comparison with the CAN model is now presented in Figure 7.

l. 7, p. 8: what do you mean by ‘magnetodisc models with azimuthal current dependencies different from r^{-2} should also be investigated’? The CAN disc model just used in that Section varies as r^{-1} . Do you have any suggestion? In Achilleos, Guio and Arridge (2010), it is suggested that the dependency is steeper than r^{-1} .

According to our results the dependence is steeper than r^{-1} , but less steep than r^{-2} . Further analysis is the topic of on-going research.

Ivan A Pensionerov on behalf of the co-authors

27 November 2018

~~Analysis of~~ Magnetodisc modelling in Jupiter's magnetosphere using Juno ~~perijove-1~~ magnetic field data ~~using and the~~ Jovian paraboloid magnetospheric magnetic field model

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Abstract. One of the main features of Jupiter's magnetosphere is its equatorial magnetodisc, which significantly increases the field strength and size of the magnetosphere. Analysis of Juno measurements of the magnetic field during the perijove-1 pass-first ten orbits covering the dawn to pre-dawn sector of the magnetosphere (~3.5–6 hours local time) have allowed us to determine optimal parameters of the magnetodisc using the paraboloid magnetospheric magnetic field model, which employs analytic expressions for the magnetospheric current systems. Specifically within the model we determine the size of the Jovian magnetodisc and the magnetic field strength at its outer edge.

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1 Introduction

In this paper we consider magnetic field measurements made ~~during the Juno perijove-1 pass (the first since the orbit insertion pass-numbered "0")~~ by the Juno spacecraft in Jupiter's magnetosphere, paying particular attention to the middle magnetosphere measurements where Jupiter's magnetodisc field plays a major role. The structure and properties of the Jovian magnetodisc have been described in many papers starting from the first spacecraft flybys ~~to Jupiter, as of Jupiter~~, discussed, e.g., by Barbosa et al. (1979), and references therein. In particular, the empirical magnetodisc model ~~published~~ presented by Connerney et al. (1981), derived from Voyager-1 and -2 and Pioneer-10 observations, has been employed as a basis in numerous subsequent studies, including predictions for the Juno mission by Cowley et al. (2008, 2017). Detailed physical models have also been constructed ~~, by Caudal (1986) who presented by Caudal (1986), who derived~~ a steady-state MHD magnetodisc model in which both centrifugal and plasma pressure (assumed isotropic) forces were included, and by Nichols (2011) who incorporated a self-consistent plasma angular velocity model. Nichols et al. (2015) have also included the effects of plasma pressure anisotropy, as observed in Voyager and Galileo particle measurements, which redistributes the azimuthal currents in the magnetodisc, changing its thickness.

Here we model the magnetic field observations during Juno ~~perijove-1~~'s first ten orbits for which both inbound and outbound passes are presently available, corresponding to perijoves (PJs) 0 to 9, using the semi-empirical global paraboloid Jovian magnetospheric magnetic field model derived by Alexeev and Belenkaya (2005). We focus on the middle magnetosphere, observed on these orbits in the dawn to pre-dawn sector of the magnetosphere ($\sim 3.5\text{--}6$ h local time (LT)), for which the magnetodisc provides the main contribution to the magnetospheric magnetic field. In the model, in which the field contributions are calculated using parameterised analytic equations, the magnetodisc is described by a simple thin plane disc lying in the planetary magnetic equatorial plane. We thus search the paraboloid model magnetodisc input parameters to determine the best fit to the Juno ~~perijove-1 measurements.~~ measurements. We note that the magnetodisc may be regarded as the most important source of magnetic field in Jupiter's magnetosphere, with a magnetic moment in the model derived by Alexeev and Belenkaya (2005) using Ulysses inbound data, for example, which is 2.6 times the planetary dipole moment. Consequently, the magnetodisc plays a major role in determining the size of the system in its interaction with the solar wind, and is thus an appropriate focus of study using Juno magnetic field data.

2 The Jupiter paraboloid model

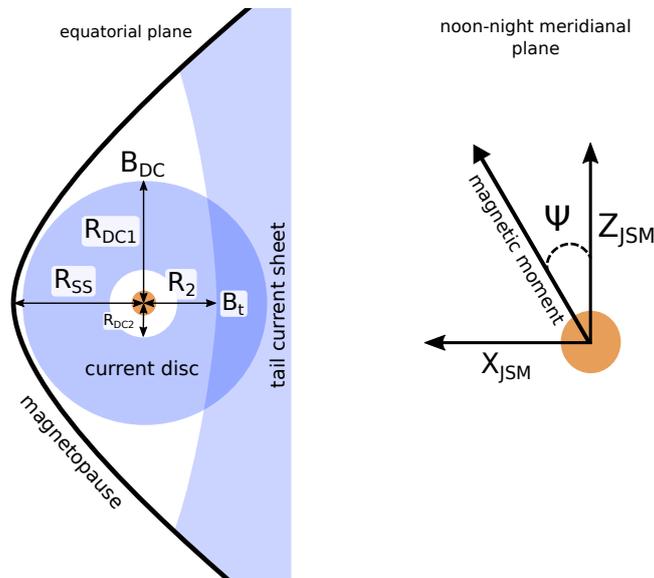


Figure 1. On the left we show a schematic of Jupiter's magnetosphere in the magnetic equatorial plane, showing various parameters of the paraboloid model. On the right we show the definition of the planetary magnetic dipole angle Ψ in the JSM system, where X_{JSM} points towards the Sun and the planetary dipole is contained in the $X_{JSM}\text{--}Z_{JSM}$ plane.

The paraboloid magnetospheric magnetic field model was developed for Jupiter by Alexeev and Belenkaya (2005), based on the terrestrial paraboloid model of Alexeev (1986) and Alexeev et al. (1993). It contains the internal planetary field, B_i ,

calculated from the full order-4 VIP4 model of Connerney et al. (1998), the magnetodisc field, \mathbf{B}_{MD} , the field of the magnetopause shielding currents, \mathbf{B}_{si} and \mathbf{B}_{sMD} , screening which screen the planetary and magnetodisc fields, respectively, the field of the magnetotail current system, \mathbf{B}_{TS} , and the penetrating part of the interplanetary magnetic field (IMF), $k\mathbf{B}_{\text{IMF}}$, where k is the IMF penetration coefficient. The magnetopause is described by a paraboloid of revolution in Jovian solar magnetospheric

5 (JSM) coordinates with the origin at Jupiter's centre

$$\frac{x}{R_{\text{ss}}} = 1 - \frac{y^2 + z^2}{2R_{\text{ss}}^2} \quad (1)$$

where X is directed towards the Sun, the X-Z plane contains the planet's magnetic moment, and Y completes the right-hand orthogonal set pointing towards dusk. R_{ss} is the distance to the subsolar magnetopause, where $y = 0$ and $z = 0$. The magnetospheric magnetic field, \mathbf{B}_{m} , is then the sum of the fields created by all these current systems

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$$\mathbf{B}_{\text{m}} = \mathbf{B}_{\text{i}}(\underline{\Psi}) + \mathbf{B}_{\text{TS}}(\Psi, R_{\text{ss}}, R_2, B_{\text{t}}) + \mathbf{B}_{\text{MD}}(\Psi, B_{\text{DC}}, R_{\text{DC1}}, R_{\text{DC2}}) + \mathbf{B}_{\text{si}}(\Psi, R_{\text{ss}}) + \mathbf{B}_{\text{sMD}}(\Psi, R_{\text{ss}}, B_{\text{DC}}, R_{\text{DC1}}, R_{\text{DC2}}) + k\mathbf{B}_{\text{IMF}} \quad (2)$$

where Ψ is Jupiter's dipole tilt angle relative to the Z axis. The magnetodisc is approximated as a thin disc with outer and inner radii R_{DC1} and R_{DC2} , respectively. B_{DC} is the magnetodisc field at the outer boundary, while the azimuthal currents in the disc are assumed to decrease as r^{-2} . R_2 is the distance to the inner edge of the tail current sheet, and B_{t} is the tail current magnetic field there. The magnetospheric current systems are thus described by nine input parameters, determining the physical size of the current systems, and their magnetic field (current) strength ($\Psi, R_{\text{ss}}, R_2, R_{\text{DC1}}, R_{\text{DC2}}, B_{\text{t}}, B_{\text{DC}}, k, \mathbf{B}_{\text{IMF}}$).

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In Figure 1 we show sketches illustrating the parameters of the model. On the left we show a view in the magnetospheric equatorial plane, where we note that in the physical system, the overlapping model magnetodisc and tail current sheets merge together on the nightside. On the right we show the planetary magnetic dipole axis at angle Ψ in the JSM system. As shown by Alexeev and Belenkaya (2005), the magnetic moment of the model current disc is given by

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$$M_{\text{MD}} = \frac{B_{\text{DC}}}{2} R_{\text{DC1}}^3 \left(1 - \frac{R_{\text{DC2}}}{R_{\text{DC1}}} \right). \quad (3)$$

Alexeev and Belenkaya (2005) and Belenkaya (2004) determined model parameters which approximated the magnetic field along the Ulysses inbound trajectory rather well. These parameters are $R_{\text{ss}} = 100 R_{\text{J}}$, $R_2 = 65 R_{\text{J}}$, $B_{\text{t}} = -2.5 \text{ nT}$, $R_{\text{DC1}} = 92 R_{\text{J}}$, $R_{\text{DC2}} = 18.4 R_{\text{J}}$, and $B_{\text{DC}} = 2.5 \text{ nT}$. This set of parameters is used in the present paper as a starting point for fitting parameters for to the Juno data. The angle-dipole tilt angle Ψ changes during the observations and is calculated as a function of time in the paraboloid model. As the interplanetary field is unknown during the Juno mission, we neglect it here.

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3 Magnetic field calculations along for the first ten Juno perijove-1-orbitorbits

As indicated above, field calculations have been made using the paraboloid model for the Juno perijove-1 trajectory, for comparison with the observed data. The orbit was data from the first ten Juno orbits for which data are presently available

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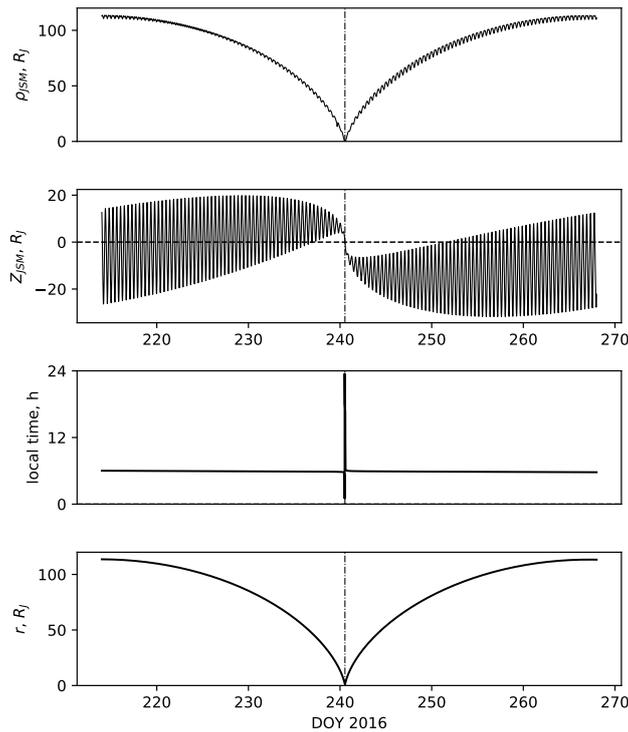


Figure 2. Juno perijove 1 trajectory in JSM Cartesian coordinates plotted versus time in DOY 2016, where the vertical dashed line shows the time of periapsis.

for study. The orbits were closely polar, with large eccentricity, and apoapsis located with apoapsis initially located south of the equator in the dawn magnetosphere (see, e.g., Connerney et al. (2017)). We consider separately the inbound and outbound passes of the orbit. (e.g. Connerney et al., 2017). In Figure 2 shows we show the perijove 1 trajectory versus time (in day of year (DOY) 2016) in JSM Cartesian coordinates, where the specifically showing the cylindrical and spherical radial distances ρ_{JSM} and r , Z_{JSM} , and the LT. The vertical dashed line shows the time of periapsis. On later orbits apoapsis moved towards the nightside reaching ~ 3.5 h LT by perijove 9, and also rotated further into the southern hemisphere.

We first investigate the main factors which control In this paper we confine our attention to the middle magnetosphere, where, as we now show, the magnetic field along the Juno trajectory, and in Figure ?? show the magnitude is dominated by the magnetodisc and the planetary field. In the outer magnetosphere the field becomes strongly influenced by external conditions in the solar wind, and although in some circumstances these can be reasonably well predicted by MHD models initialised using data obtained near Earth's orbit (e.g. Tao et al., 2005; Zieger and Hansen, 2008), they will typically vary strongly on the time scale of the Juno orbit (Figure 2), and with them too the outer magnetospheric field. In Figures 3 and 4, for example, we show the magnitudes of the modelled field from different sources along the inbound (left) and outbound (right) trajectory legs. The model parameters are those from Alexeev and Belenkaya (2005) as outlined in Section 2. The red line shows passes of

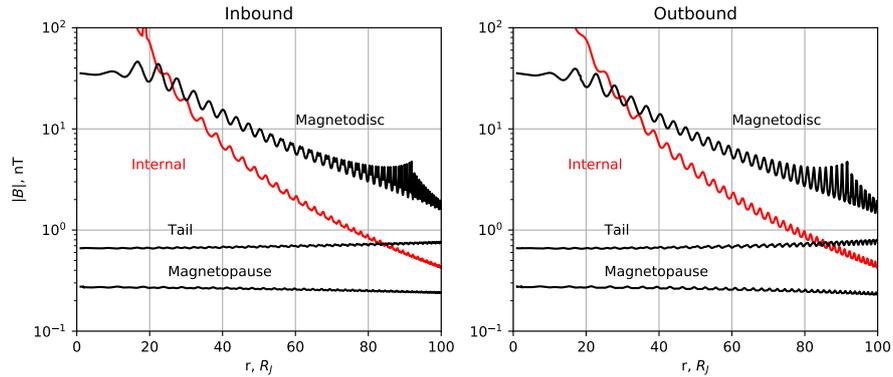


Figure 3. Magnitude of the model magnetic fields for the Juno perijove 1 inbound (left) and outbound (right) passes, due to the internal planetary field (JRM09, red), and the various model magnetospheric currents as marked (magnetopause, tail, and magnetodisc, black).

perijoves 1 and 9, respectively, plotted versus radial distance. The red lines in these figures show the internal JRM09 (“~~June Reference Model~~–“~~June reference model through perijove 9~~”) planetary field (Connerney et al., 2018), while the derived by Connerney et al. (2018), which employs the well-determined degree and order 10 coefficients from an overall degree 20 spherical harmonic fit to the data (plus disc model field) from the first nine Juno orbits. The black lines show the field of the various magnetospheric current systems in the paraboloid model as marked. The JRM09 model employed the magnetic field data from first nine Juno orbits, plus their disc model, to derive Jupiter’s internally-generated field to degree 20 spherical harmonics, where the model parameters employed are those derived from Ulysses inbound data by Alexeev and Belenkaya (2005), as outlined in Section 2. It can be seen from the figure that for $r < 60 R_J$ the contributions to the magnetospheric field from the magnetopause and tail current systems are (which are oppositely directed near the dawn-dusk meridian) are negligible compared with the magnetodisc field–

Magnitude of the model magnetic fields for the Juno perijove 1 inbound (left) and outbound (right) trajectories, due to the internal planetary field (JRM09, red), and the various model magnetospheric currents (magnetopause, tail, and magnetodisc, black).

In the present paper we mainly consider the middle part of the magnetosphere where the magnetodisc is the dominant magnetospheric contributor to the field. The solar wind influence is mainly important in the outer magnetosphere, which we do not study here, as the solar wind conditions are unknown while, being less than 10% for perijove 1 and less than 16% for perijove 9, and may thus be treated approximately inside this distance. For related reasons we also neglect the penetrating IMF term in equation (2), which is unknown when Juno is inside the magnetosphere. Thus, we cannot analyse the field in the outer magnetosphere correctly, and the use of averaged parameters is not adequate in this region. For this reason, we fit only magnetodisc parameters, while for the other parameters we, highly variable in direction with time, and typically of magnitude $\sim 0.1-1$ nT (Nichols et al., 2006, 2017). This field too, with penetration coefficient $k < 1$, is therefore similarly negligible in the $r < 60 R_J$ middle magnetosphere studied here.

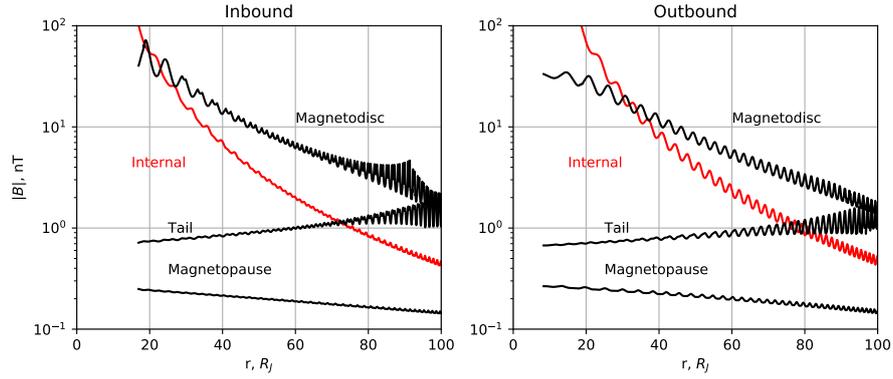


Figure 4. As for Figure 3, but for perijove 9.

As a consequence of these considerations, here we employ the JRM09 model of the internal field, and fit only the magnetodisc parameters to the middle magnetosphere data. For the small fields contributed by the magnetopause and tail current systems in this regime, we simply use the Ulysses values-parameters from Alexeev and Belenkaya (2005) and Belenkaya (2004) as sufficient approximations, i.e., $R_{ss} = 100 R_J$, $R_2 = 65 R_J$, $B_t = -2.5 \text{ nT}$. The-However, use of the Ulysses magnetodisc parameters is found to lead, for example, to a systematic underestimation of the field along the perijove 1 trajectory, and thus need-needs to be modified. We retain use of the Ulysses value of the outer radius of the magnetodisc, $R_{DC1} = 92 R_J$. The deep and sharp field decreases due to the equatorial current sheet encounters continue to be observed on the Juno trajectory even at large radial distances $r > 90 R_J$, but at such distances the precise radius of the outer boundary has little effect on the field at radial distances $r < 60 R_J$. Thus, only two parameters, Thus only three parameters, R_{DC1} , R_{DC2} and B_{DC} , need to be fitted.

To optimize the model we choose the approach of minimizing function S given by

$$S^2(B_{DC}, R_{DC1}, R_{DC2}) = \frac{1}{N} \sum_{n=1}^N \frac{B_{\text{mod}}^{(n)} - B_{\text{obs}}^{(n)}}{|B_{\text{mod}}^{(n)}|} \sqrt{\frac{1}{N} \sum_{n=1}^N \frac{|B_{\text{mod}}^{(n)} - B_{\text{obs}}^{(n)}|^2}{|B_{\text{obs}}^{(n)}|^2}} \quad (4)$$

where $B_{\text{mod}}^{(n)}$ and is the modelled field vector due to the current systems, $B_{\text{obs}}^{(n)}$ are the values of the modeled and observed magnetic field vectors, respectively, and n is the observed residual field following subtraction of the JRM09 internal field model. n is the index number of the data point along the trajectory; and the total number of points is N . S represents a root-mean-square relative deviation of the modelled magnetic field from the observed field vectors. We used a relative deviation instead of an absolute value to equalize the influence of all the data points, noting that the magnetic field varies in magnitude significantly along the part of the trajectory examined here (see Figures 3 and 4). Use of the absolute deviation would result gives good results in the region closer to the planet, where the field magnitude is greater, having a much stronger influence on the optimal values of parameters than the outer region, which is undesired but a poorer fit on other parts of the trajectory.

Table 1. Magnetodisc parameters derived for the Ulysses inbound pass and the first ten Juno orbits, together with the maximum and minimum inbound and outbound radial distances included in the Juno passes. “Not usable” means that entire pass was covered with current sheet crossings.

	B_{DC}, nT	R_{DC2}, R_J	R_{DC1}, R_J	$R_{\min} R_{\max}, R_J$ inbound	$R_{\min} R_{\max}, R_J$ outbound
Ulysses	2.50	18.4	92		
PJ-00	2.57	18.6	95	not available	31.5 60
PJ-01	2.77	12.3	95	5.0 45	5.0 60
PJ-02	2.67	13.7	95	13.3 40	not available
PJ-03	2.75	14.3	95	16.5 40	8.9 60
PJ-04	2.43	14.0	95	13.7 35	12.3 60
PJ-05	2.33	13.4	95	10.6 30	10.5 60
PJ-06	2.31	12.5	95	8.0 20	17.2 60
PJ-07	2.49	12.4	95	not usable	19.7 60
PJ-08	2.38	13.1	95	not usable	19.5 60
PJ-09	2.26	10.7	95	not usable	8.3 60

With regard to the choice of interval employed to minimize S , we note that use of data from the innermost region is not optimal. The JRM09 internal planetary field model differs from observations at periaapsis ($1.06 R_J$) by $0.3 \cdot 10^5 \text{ nT}$ (Connerney et al., 2018), which is a reasonable accuracy for describing the an observed field of roughly $8 \cdot 10^5 \text{ nT}$ in magnitude magnitude $\sim 8 \cdot 10^5 \text{ nT}$, but does not allow us to distinguish the magnetodisc field in order of 100 nT of order 100 nT on this background.

5 We thus restricted the inner border of the interval to consider only $r > 5 R_J$. This is an arbitrary value, but the specific position within a range $\sim 5 - 10 R_J$ of the inner border of the fitting interval does not significantly affect the location of the minimum in S . On the other hand, the location of the minimum of the root-mean-square absolute deviation does depend strongly on the position of the inner fitting interval boundary, which is another reason not to use it for the present problem $r > 5 R_J$ only. However, on most passes examined here, the inner radial limit is set instead at somewhat larger radii by the data that are presently available for study.

10 A further limitation on the region of calculation of S in the outer magnetosphere arises from the fact that the paraboloid model does not display regions of low field strength during intersections with the magnetodisc, as is observed in the field at larger distances, due to the use of the infinitely thin disc approximation (see Section -4). Thus, it is It is thus necessary to avoid these regions by also setting a maximum radial distance, R_{\max} , on each pass (see Figure 2 for perijove 1).

15 To We thus minimize S in the radial range $5 < r < 60 R_J$ (excluding regions with current layer crossings), the optimum parameters are found to be $B_{DC} = 3.15 \text{ nT}$ inbound and outbound radial ranges between R_{\min} and $R_{DC2} = 15.8 R_J$. This is demonstrated in Figure ??, which shows the dependence of S on R_{\max} on each pass to determine the best fit magnetodisc

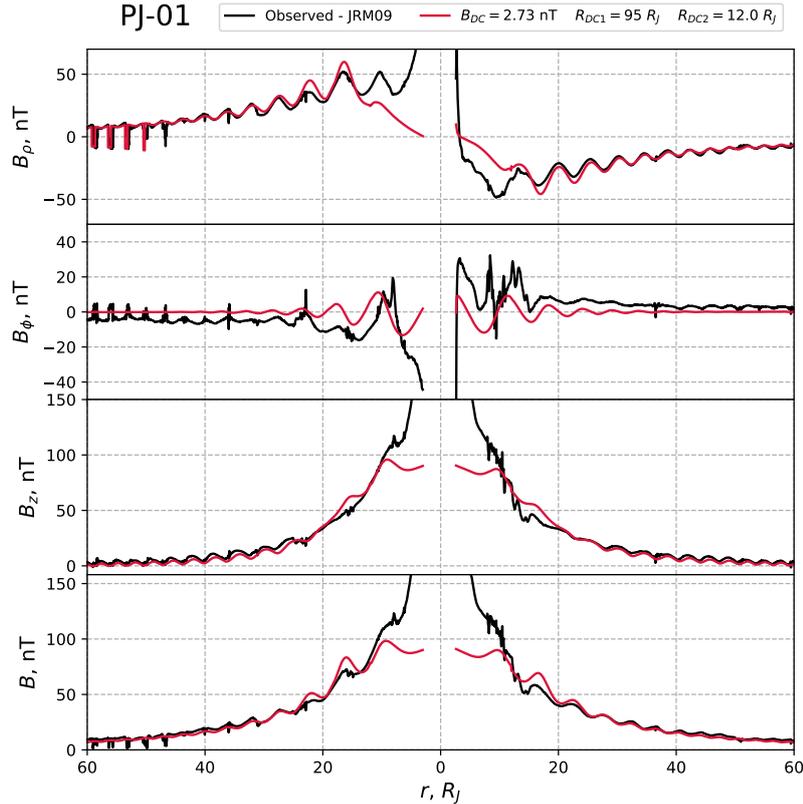


Figure 5. Observed (black) and modelled (red) residual fields in JSM cylindrical components, together with the residual field magnitude, for Juno perijove 1. The residual field is the observed field with the JRM09 internal field subtracted. The fields are plotted versus spherical radial distance with inbound data shown on the left and outbound data on the right. The same model field is used for both.

parameters. The minimization was undertaken using the Trust Region Reflective procedure (Branch et al., 1999). The best fit values are given, together with the radial ranges employed, in Table 1, where we also compare with the values derived by Alexeev and Belenkaya (2005) from Ulysses inbound data. For all the Juno fits we found that the best fit outer disc radius R_{DC1} was the maximum value of $95 R_J$ allowed in the fitting process, set by requiring that the disc radius should be less than the subsolar magnetopause radius ($100 R_J$), by a few R_J . This indicates that the current density in the model disc, varying as r^{-2} , decreases somewhat too quickly with distance. The values of the inner disc radius R_{DC2} and B_{DC} lie between 10.7 and $18.6 R_J$, usually smaller than the value of $18.4 R_J$, derived from the Ulysses data, while the field strength parameter B_{DC} for the data in this radial range. The minimum is not very sharp, so it is necessary to provide some uncertainty intervals for the parameters. To do this, we choose a minimal reliable value of $S = 0.2$ and consider all the pairs of parameters, for which $S < 0.2$ as acceptable (marked in Figure ?? by red crosses). Resulting intervals for the two fitted parameters are then found

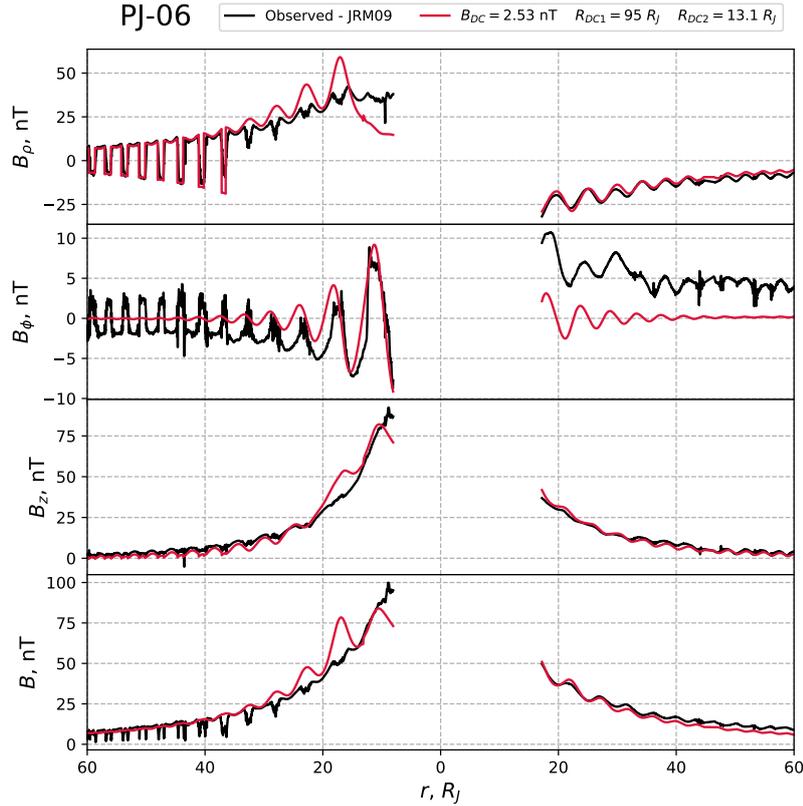


Figure 6. As for Figure 5, but for perijove 6.

to be as follows, $13 < R_{DC2} < 18 R_J$ varies between 2.3 and $2.9 < B_{DC} < 3.4 \text{ nT}$. These parameters are not independent, of course, and not all pairs in this parameter rectangle are acceptable (see Figure ??). As shown by Alexeev and Belenkaya (2005) $\approx 2.8 \text{ nT}$, similar to the effective magnetic dipole moment of the modelled current disk is equal to

$$M_{MD} = \frac{B_{DC}}{2} R_{DC1}^3 \left(1 - \frac{R_{DC2}}{R_{DC1}} \right)$$

- 5 The black curve in Figure ?? corresponds to a constant M_{MD} value calculated using the optimum parameters with constant R_{DC1} , corresponding to a factor of 2.4 times the planetary dipole moment. Acceptable pairs of parameters are aligned with that line to some extent Ulysses value of 2.5 nT.

Contour plot showing the dependence of S given by equation 4 on magnetodisc parameters R_{DC2} and B_{DC} for field data in the radial range $5 < r < 60 R_J$.

Magnitude of the residual magnetic field for the inbound pass of Juno perijove 1, from which the JRM09 model has been subtracted, plotted versus radial distance. The observed residual field is shown by the orange line, while the violet and black lines show modelled residual fields for different magnetodisc parameters as indicated, the violet curve being the Ulysses model of Alexeev and Belenkaya (2005), and the black from the present study with optimum parameters.

5 Same as Figure ??, but for the outbound pass of perijove 1.

Figures ?? and ?? show ~~In Figures 5 and 6 we provide~~ comparisons of the observed (~~orange~~~~black~~) and modelled (~~black~~ and violet) residual field magnitudes plotted versus radial distance for the inbound and outbound perijove ~~red~~ residual fields for Juno perijoves 1 trajectories, respectively. ~~The and 6, respectively, from which the JRM09 planetary field has been subtracted from the observed and modelled values. The violet curves show the Ulysses model while the black curves show the model derived here with optimum parameters. Specifically we show the JSM cylindrical field components together with the residual field magnitude plotted versus radial distance, where the same model applies to both inbound (left side) and outbound (right side) data. As can be seen the model with optimum parameters is, the fitted models are generally in good accordance with the observations over the region $15 < r < 60 R_J$ for the B_ρ and B_z components, while the B_ρ component is not adequately described, because the model does not include radial currents in the magnetodisc and their closure current via the ionosphere. It is also seen in Figure 5 that the field magnitude is underestimated inside of $\sim 10 R_J$, again probably related to the too steep radial dependence of the azimuthal current. As the distance from Jupiter decreases, a sharp increase in the residual field is observed in the inner region to $> 100 \text{ nT}$, while the model field plateaus at several tens of nT . At the closest distances from the planet the increase is probably due to inaccuracy of the JRM09 model of the internal field. But in the region $5 < r < 15 R_J$ it is hard to tell the reason for this increase. It is possibly also due to inaccuracy of the JRM09 approximation, or could be a consequence of a problem with the magnetodisc model applied in the paraboloid model. We note that the JRM09 model coefficients were obtained using a different model of the magnetodisc (Connerney et al., 1981, 2018), noting that the model represent only the degree and order 10 terms from an overall degree 20 fit (Connerney et al., 2018).~~

4 Approaches for future improvement of the Jupiter's paraboloid model

4 Approaches for future improvement of the Jupiter paraboloid model

25 ~~In the model of Jupiter's magnetodisc-~~

We first compare the fits derived here with those obtained using the magnetodisc model derived by Connerney et al. (1981) from Voyager-1 and -2 and Pioneer-10 field data, but now fitted to Juno perijove 1 data. In this model the current flows in a planet-centred annular disc of full thickness $5 R_J$, with inner and outer radii at 5 and $\simeq 50 R_J$ (R_0) and outer (R_1) radii at 5 and $\sim 50 R_J$, respectively. The azimuthal current in the disc is taken to vary as I_0/ρ , where ρ is the perpendicular distance from the planetary dipole magnetic axis. We optimized this model for Juno perijove 1 using the same method as outlined above, to find best-fit parameters $I_0 = 21 \times 10^6 \text{ A} R_J^{-1}$ ($\mu_0 I_0/2 \approx 185 \text{ nT}$), $R_0 = 6 R_J$, and $R_1 = 67 R_J$. Figure 7 shows a comparison of the observed magnetic field magnitude (orange curve) with model results using the VIP4 internal field plus Connerney et al. magnetodisc model (green curve, taken from Connerney et al. (2017)), together with the paraboloid model

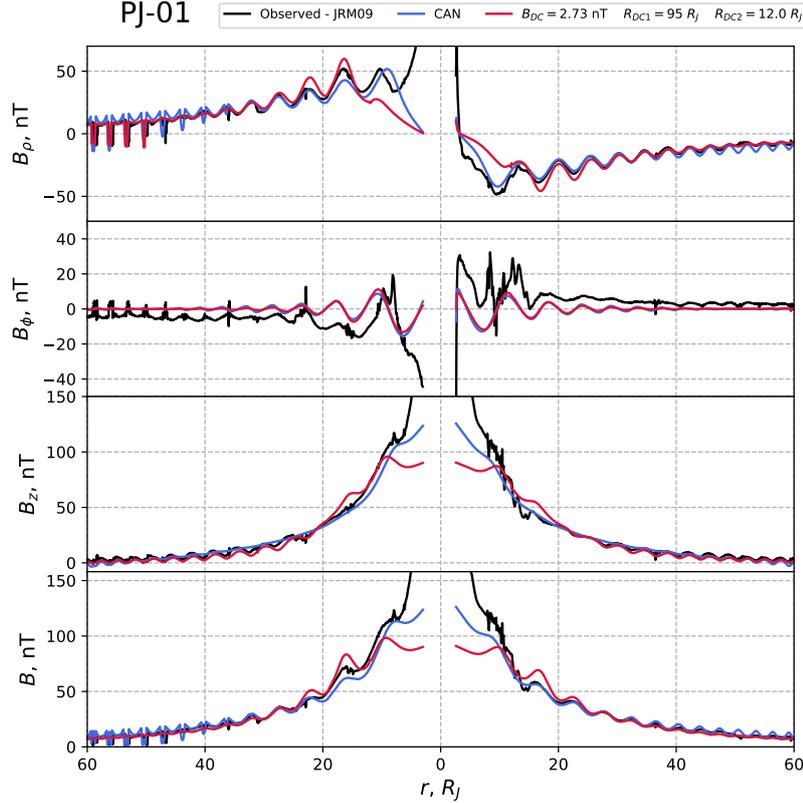


Figure 7. Comparison of the observed residual field (black) and best-fit Connerney et al. (1981) magnetodisc model field (blue) in a similar format to Figure 5. We also show the best-fit paraboloid model (red) as in Figure 5.

with $B_{DC} = 3.15 \text{ nT}$ and $R_{DC2} = 15.8 R_J$ (black curve) residual fields (black) with the best-fit Connerney et al. model (blue) in a similar format to Figures 5 and 6, where we also show the best-fit paraboloid model (red) from Figure 5. One important difference between the model results consists in the fact that the Connerney et al. (1981) model well reflects the observed periodic sharp drops of magnetic field strength during spacecraft intersections with the disc. The magnetodisc radial magnetic field component reverses sign above and below the disc, and at its centre becomes equal to zero. As indicated in Section 3, the paraboloid model having an infinitely thin disc certainly cannot reproduce this feature, and should thus be improved by use of a disc current of finite thickness. The Connerney et al. Connerney et al. model demonstrates reasonable coincidence with observations near Jupiter, but at greater distances overestimates the magnetic field strength, which indicates that at these distances the current density variation as ρ^{-1} is too slow.

Magnetic field magnitude measured by Juno (orange curve), with model field calculated using the Connerney et al. (1981) model (green curve, taken from Connerney et al. (2017)) and the paraboloid model (black curve), using the optimum parameters determined here.

Figure ?? shows the observed azimuthal magnetic field component on the Juno perijove 1 inbound pass. The As indicated above, neither of the magnetodisc models considered here describe the azimuthal field well at medium and large distances, which shows short-term modulations of the field between positive and negative values relate-related to crossings of the current sheet near the planetary rotation period, pointing (see, e.g., the inbound data in Figure 6). This points to the well-known existence of radial currents in the magnetodisc associated with sweepback of the field into a "lagging" configuration (e.g., Hill (1979)). "laggin" configuration (e.g. Hill, 1979). Both models considered here, the Connerney et al. (1981, 2017) Connerney et al. (1981) model and the paraboloid model of Alexeev and Belenkaya (2005) do not include these currents, but only the azimuthal current in the magnetodisc. Such radial currents have been included in the models by Khurana (1997) and Cowley et al. (2008, 2017) Cowley et al. (2008, 2017), and could be a useful addition to the paraboloid model, together with their field-aligned and ionospheric closure currents.

We also note that the Jovian magnetosphere depends strongly on conditions in the solar wind, the influence of which increases at large distances from the planet, where the spacecraft moves relatively more slowly and hence spends most time. However, because we have no direct simultaneous information about the upstream solar wind, apart perhaps for the limited information obtained by computer modelling using data from near Earth orbit as input, it is very difficult to separate space and solar wind modulated temporal field variations in these outer regions. For $r > 60 R_J$ in the outer magnetosphere, even our new parameters result in systematic underestimation of the magnetic field strength. Magnetodisc models with azimuthal current dependencies different from r^{-2} should also be investigated.

Azimuthal field component measured by Juno along the perijove 1 inbound pass.

5 Discussion and Conclusions

As shown in Fig. ?? Figures 3 and 4, in the middle part of the Juno perijove 1 trajectory, Jovian magnetosphere selected for study here ($15 < r < 60 R_J$), the main contribution to the field due to the magnetospheric current systems is the equatorial magnetodisc. Here we have refined the magnetodisc parameters within the Jovian paraboloid model to best fit the Juno data from the first ten orbits in this region, for which both inbound and outbound data are presently available. Analysis of the field at very close radial distances requires better knowledge of the internal planetary field, while that the field at large distances is strongly influenced by the solar wind, whose simultaneous parameters remain unknown and generally varying rapidly with time on the scale of the Juno passes.

As a simplest approximation we took parameters found for magnetopause and tail current parameters derived using the Ulysses mission data (Alexeev and Belenkaya, 2005; Belenkaya, 2004), and changed only R_{DC} the radial and field strength parameters of the magnetodisc. We found that the best fit model consistently had a large outer radius comparable with the subsolar magnetopause distance (taken to be $100 R_J$ from the Ulysses model), an inner radius usually between ~ 12 and B_{DC} ,

the inner radius of the disc and the field strength at its outer radius. The profile of the magnetic field in the middle magnetosphere is then determined by a combination of these two parameters together with an unchanged outer radius $R_{DC1} = 92 R_J$. These three parameters then determine the total current in the magnetodisc. Fitting of R_{DC2} shows that a better result is obtained by decreasing its value to $15.8 R_J$ relative to the Ulysses value of $18.4 R_J$, with a simultaneous small increase of B_{DC} to 3.15 nT from 2.5 nT . $14 R_J$ smaller than the Ulysses model ($\sim 18 R_J$), and a comparable field strength parameter (at the outer edge of the disc) of $\sim 2.5 \text{ nT}$.

To further refine the Jovian paraboloid magnetospheric model, it will be necessary to take into account the finite thickness of the magnetodisc current, and also to accurately determine its dependence on the radial distance from the planet. The existence of radial currents in the disc, as well as their closure via field-aligned currents in the planetary ionosphere, should also be incorporated.

Code availability. Those who would like to work with the paraboloid model may contact Igor I. Alexeev at alexeev@dec1.sinp.msu.ru.

Competing interests. The authors declare that they have no conflict of interest.

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